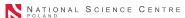
Dark matter production via light mediator exchange at future e^+e^- colliders

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Outline



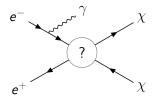
- Motivation
- 2 Analysis framework
- Results
- 4 Conclusions

Motivation



Dark Matter production

The mono-photon signature is considered to be the most general way to look for DM particle production in future e^+e^- colliders.



DM can be pair produced in the e^+e^- collisions via exchange of a new mediator particle, which couples to both electrons (SM) and DM states

This process can be detected, if additional hard photon radiation from the initial state is observed in the detector...

Motivation



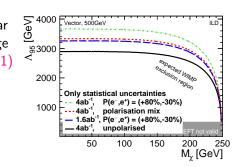
New analysis approach

Most of the studies performed so far focused on heavy mediator exchange (EFT limit) and coupling values $\mathcal{O}(1)$

⇒ extracted were limits on DM or mediator masses

In our study:

- focus on light mediator exchange (DM even lighter)
- consider very small mediator couplings to SM, $\Gamma_{SM} \ll \Gamma_{tot}$



ILD study: arXiv:2001.03011 Phys. Rev. D 101, 075053 (2020)

CLIC study: arXiv:2103.06006

"Experimental-like" approach ⇒ focus on cross section limits as a function of mediator mass and width



Running scenarios

ILC

Total of $4000 \, \text{fb}^{-1}$ assumed at $500 \, \text{GeV}$ (H-20 scenario)

- 2×1600 fb⁻¹ for LR and RL beam polarisation combinations
- 2×400 fb⁻¹ for RR and LL beam polarisation combinations

assuming polarisation of $\pm 80\%$ for electrons and $\pm 30\%$ for positrons

arXiv:1903.01629

CLIC

Total of $5000 \, \mathrm{fb^{-1}}$ assumed at $3 \, \mathrm{TeV}$

- 4000 fb⁻¹ for negative electron beam polarisation
- \bullet 1000 fb⁻¹ for positive electron beam polarisation

assuming polarisation of $\pm 80\%$ for electrons

arXiv:1812.06018



Simulating mono-photon events

Dedicated simulation procedure for WHIZARD, with all "detectable" photons generated on Matrix Element level, matched with soft ISR.

For more details:

- ⇒ W.Kotlarski, Simulating hard photon production with Whizard (22:20 CET)
- ⇒ J. Kalinowski et al., Eur. Phys. J. C 80 (2020) 634, arXiv:2004.14486

Detector modeling

Detector response simulated in the Delphes framework.

Both ILCgen and (modified) CLICdet models include proper description of forward detectors: BeamCal and LumiCal

⇒ see backup slides for more details



Event selection

On generator level:

- 1, 2 or 3 ME photons nonradiative events for signal only (for normalisation)
- all ME photons with $g_{+}>1~GeV$ & $E^{\gamma}>1~GeV$ rejected are events with $q_+>1~GeV$ & $E^{\gamma}>1~GeV$ for any of the ISR photons
- at least one ME photon with

$$p_T^{\gamma} > 2~GeV~\&~5^{\circ} < heta^{\gamma} < 175^{\circ}~$$
 (ILC 500 GeV) $p_T^{\gamma} > 5~GeV~\&~7^{\circ} < heta^{\gamma} < 173^{\circ}~$ (CLIC 3 TeV)

On detector simulation level:

single photon with

$$p_T^\gamma > 3~GeV~\&~|\eta^\gamma| < 2.8~{
m (ILC)}$$
 $p_T^\gamma > 10~GeV~\&~|\eta^\gamma| < 2.6~{
m (CLIC)}$

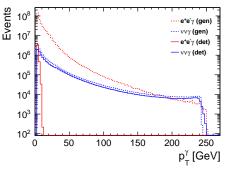
- no other activity in the detector other reconstructed objects
 - no electrons
 - no LumiCal photons
 - no BeamCal photons
 - no jets



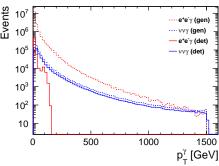
Background distributions

Two SM backgrounds considered:

Bhabha scattering and (radiative) neutrino pair production



ILC 500 GeV (-80%/+30%) 1600 fb⁻¹

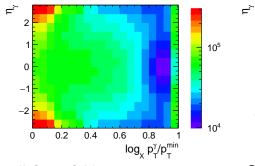


CLIC 3 TeV
$$(+80\%) 1000 \, \mathrm{fb}^{-1}$$

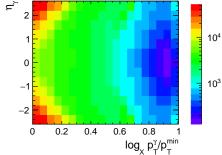


Background distributions

For mono-photon events, two variables fully describe event kinematics \Rightarrow use 2D distribution of (p_T^{γ}, η) to constrain DM production



ILC 500 GeV (-80%/+30%) 1600 fb⁻¹



CLIC 3 TeV $(+80\%) 1000 \, \mathrm{fb^{-1}}$



Simplified DM model

Simplified model covering most popular scenarios of DM pair-production

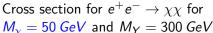
Possible DM candidates:

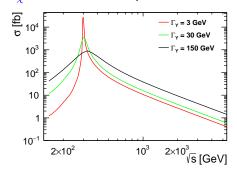
- real or complex scalar
- Majorana or Dirac fermion
- real vector

Possible mediators:

- scalar
- pseudo-scalar
- vector
- axial-vector

(mixed couplings, eg. V-A or V+A, also possible)

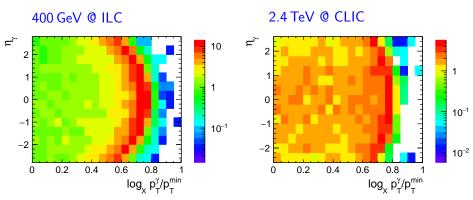






Signal distributions

For fermion DM with $M_\chi=50\,\text{GeV}$ and vector mediator with $\Gamma/M=0.03$ Mediator mass:



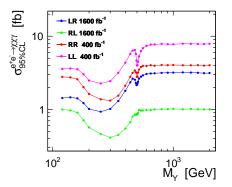
Signal normalised to unpolarised DM pair-production cross section of 1 fb



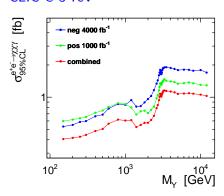
Cross section limits for radiative events (with tagged photon)

Vector mediator with $\Gamma/m = 3\%$

ILC @ 500 GeV



CLIC @ 3 TeV



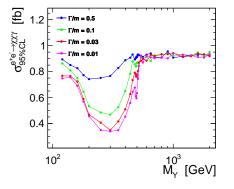
Limits calculated with CL_s approach using RooFit v3.60



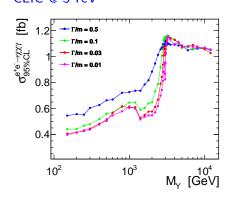
Cross section limits for radiative events (with tagged photon)

Vector mediator, combined limits

ILC @ 500 GeV



CLIC @ 3 TeV

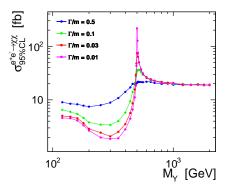


Limits calculated with CL_s approach using RooFit v3.60

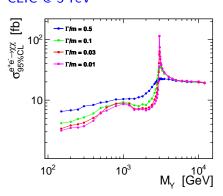


Cross section limits for total DM production cross section Corrected for probability of hard photon tagging! see backup slides Combined limits for mediator with $\Gamma/m=3\%$

ILC @ 500 GeV



CLIC @ 3 TeV

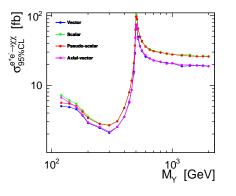


Radiation suppressed for narrow mediator with $M_Y \sim \sqrt{s} \Rightarrow$ weaker limits

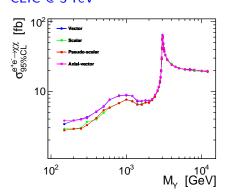


Cross section limits for total DM production cross section Corrected for probability of hard photon tagging! see backup slides Combined limits for mediator with $\Gamma/m=3\%$

ILC @ 500 GeV



CLIC @ 3 TeV



Radiation suppressed for narrow mediator with $M_Y \sim \sqrt{s} \Rightarrow$ weaker limits



Systematic uncertainties PRELIMINARY

following ILD study: Phys. Rev. D 101, 075053 (2020), arXiv:2001.03011

Considered sources of uncertainties:

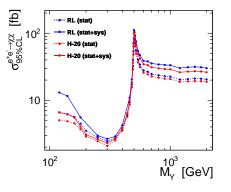
- Integrated luminosity uncertainty of 0.26% uncorrelated between polarisations
- Luminosity spectra shape uncertainty correlated between polarisations
- Uncertainty in neutrino background normalisation of 0.2% (th+exp) correlated between polarisations
- Uncertainty in Bhabha background normalisation of 1% (th+exp) correlated between polarisations
- ⇒ nuisance parameters in the model fit (7 for ILC, 5 for CLIC)



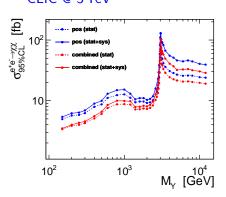
Systematic uncertainties PRELIMINARY

Limits for mediator with $\Gamma/m = 3\%$

ILC @ 500 GeV



CLIC @ 3 TeV

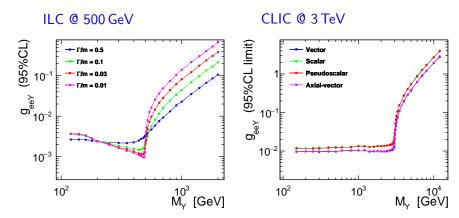


Influence of systematic effects reduced for light mediators, $M_Y < \sqrt{s}$



Coupling limits with systematic uncertainties

Combined coupling limits for assumed mass and width of the mediator.

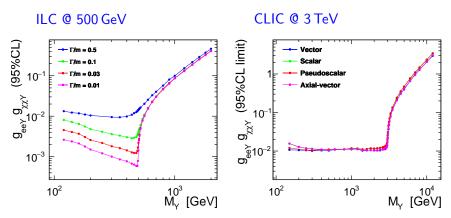


Almost uniform sensitivity to g_{eeY} up to kinematic limit. Coupling limits weakly dependent on the assumed coupling structure!



Coupling limits with systematic uncertainties

Combined coupling limits for assumed mass and width of the mediator.



Almost uniform sensitivity to g_{eeY} up to kinematic limit. Coupling limits weakly dependent on the assumed coupling structure!

Conclusions



New framework for mono-photon analysis developed focus on light mediator exchange and very small mediator couplings to SM

Mono-photon production at e^+e^- colliders sensitive to wide range of DM pair-production scenarios

- $\mathcal{O}(1\,\mathrm{fb})$ limits on the radiative production $e^+e^- \to \chi\chi\gamma_{\mathrm{tag}}$
- $\mathcal{O}(10\,\mathrm{fb})$ limits on the DM pair-production $e^+e^-\to \chi\chi(\gamma)$ except for the resonance region $M_Y\sim\sqrt{s}$
- $\mathcal{O}(10^{-3}-10^{-2})$ limits on the mediator coupling to electrons up to the kinematic limit $M_Y \leq \sqrt{s}$

Limits largely independent on the mediator type/coupling

For for heavy mediators, limits from EFT analysis can be reproduced

For light mediators limits more stringent than those expected from direct resonance search in SM decay channels

Thank you!



Simulating mono-photon events

W.Kotlarski, Simulating hard photon production with WHIZARD,

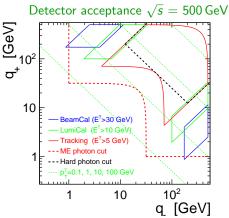
PD1+PD4 session this evening (CET)

Two variables, calculated separately for each emitted photon:

$$q_{-} = \sqrt{4E_{0}E_{\gamma}} \cdot \sin\frac{\theta_{\gamma}}{2},$$

 $q_{+} = \sqrt{4E_{0}E_{\gamma}} \cdot \cos\frac{\theta_{\gamma}}{2},$

are used to separate "soft ISR" emission region from the region described by ME calculations.

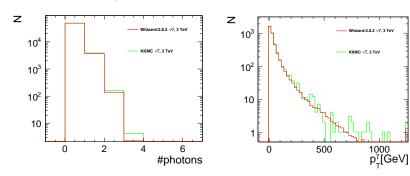


All "detectable" photons are simulated with Matrix Elements



Simulating mono-photon events Validation of the procedure

WHIZARD predictions were compared to the results from the KKMC code for $e^+e^- \rightarrow \nu\bar{\nu} + N\gamma$



⇒ very good agreement observed (both for shape and normalisation)

For more details:

J. Kalinowski et al., Eur. Phys. J. C 80 (2020) 634, arXiv:2004.14486



Simplified DM model

Dark matter particles, X_i , couple to the SM particles via an mediator, Y_j .

Each simplified scenario is characterized by one dark matter candidate and one mediator from the set listed below:

	particle	mass	spin	charge	self-conjugate	type
DM	X_R	m_{X_R}	0	0	yes	real scalar
	X_C	m_{X_C}	0	0	no	complex scalar
	X_{M}	m_{X_M}	$\frac{1}{2}$	0	yes	Majorana fermion
	X_D	m_{X_D}	$\frac{1}{2}$	0	no	Dirac fermion
	X_V	m_{X_V}	$\bar{1}$	0	yes	real vector
ō	Y_R	m_{Y_R}	0	0	yes	real scalar
mediator	Y_V	m_{Y_C}	1	0	yes	real vector
me	T_C	m_{T_C}	0	1	no	charged scalar



Simplified DM model

Lagrangian describing mediator coupling to electrons given by

$$\mathcal{L}_{eeY} \ \ni \ \bar{e}(g_{eY_R}^1 + \imath \gamma^5 g_{eY_R}^5) eY_R + \bar{e} \gamma_\mu (g_{eY_V}^1 + \gamma^5 g_{eY_V}^5) eY_V^\mu$$

The interaction of mediators with dark matter is described by

$$\mathcal{L}_{XXY} = g_{X_{R}Y_{R}} X_{R}^{2} Y_{R} + i g_{X_{C}Y_{V}} (X_{C}^{*}(\partial_{\mu}X_{C}) - (\partial_{\mu}X_{C}^{*})X_{C}) Y_{V}^{\mu} + \\ \bar{X}_{D} (g_{X_{D}Y_{R}}^{1} + i \gamma^{5} g_{X_{D}Y_{R}}^{5}) X_{D} Y_{R} + \bar{X}_{D} \gamma_{\mu} (g_{X_{D}Y_{V}}^{1} + \gamma^{5} g_{X_{D}Y_{V}}) X_{D} Y_{V}^{\mu} \\ \bar{X}_{M} (g_{X_{M}Y_{R}}^{1} + i \gamma^{5} g_{X_{M}Y_{R}}^{5}) X_{M} Y_{R} + g_{X_{M}Y_{V}}^{5} \bar{\psi}_{M} \gamma_{\mu} \gamma^{5} \psi_{M} Y_{V}^{\mu}$$



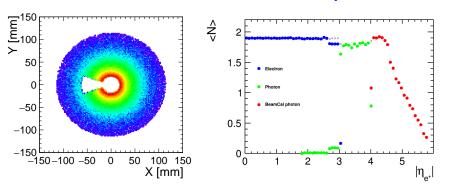
Detector simulation

for ILC running at 500 GeV

ILCgen model for Delphes includes proper modelling of forward detectors

BeamCal

Reconstruction efficiency for $e^+e^- \rightarrow e^+e^-$



Included in the official Delphes repository as delphes_card_ILCgen.tcl



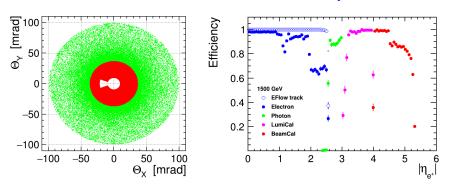
Detector simulation

for CLIC running at 3 TeV

CLICdet model for Delphes also modified to include forward calorimeters

LumiCal + BeamCal

Reconstruction efficiency for $e^+e^- \rightarrow e^+e^-$



Included in the repository as delphes_card_CLICdet_Stage3_fcal.tcl



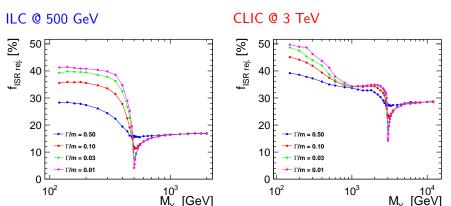
ILC vs CLIC comparison of simulation and analysis setup

	ILCgen	CLICdet				
	_					
	@ 500 GeV	@ 3 TeV				
Generator level cuts						
p_T^{γ} min.	2 GeV	5 GeV				
Θ^{γ} min.	5 °	7°				
Detector acceptance (Delphes model)						
tracking	$ \eta < 3$	$ \eta < 2.54$				
ECAL	$ \eta < 3$	$ \eta < 3$				
LumiCal	$3 < \eta < 4$	$3 < \eta < 4$				
BeamCal	$4 < \eta < 5.8$	$4 < \eta < 5.3$				
Detector level cuts						
p_T^{γ} min.	3 GeV	10 GeV				
$ \eta^{\gamma} $ max.	2.8	2.6				
' ' '	(7°)	(8.5°)				



ISR rejection efficiency

Fraction of events generated by WHIZARD removed by ISR rejection procedure (ISR photons emitted in the phase-space region covered by ME)





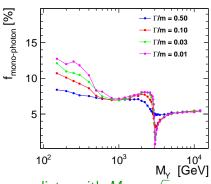
Tagging efficiency

Detectable hard photon emitted only in a fraction of signal event

$$\sigma\left(e^{+}e^{-} \rightarrow \chi \; \chi \; \gamma_{\text{\tiny tag}}\right) \; = \; f_{\text{mono-photon}} \cdot \sigma\left(e^{+}e^{-} \rightarrow \chi \; \chi \; (\gamma) \; \right)$$

ILC @ 500 GeV

CLIC @ 3 TeV



Emission strongly suppressed for narrow mediator with $M_Y \sim \sqrt{s}$

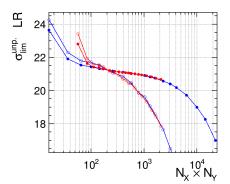


Number of bins

The higher number of bins in 2D $(p_T^{\gamma}, \eta^{\gamma})$ distribution, the higher sensitivity to BSM scenarios... but also to statistical fluctuations in MC samples (mainly for signal)

Expected limits vs number of bins

for 100k (open) and 1M (full circles) MC events in signal sample



$$\Rightarrow N_{bin} \leq 300$$

to avoid problems due to limited MC statistics

 20×14 bins used for ILC 20×13 bins used for CLIC

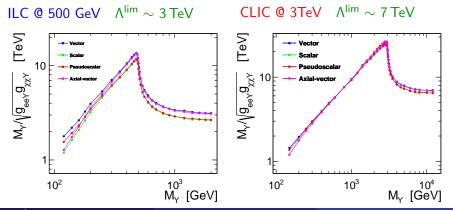


Effective mass scale limits

$$\Lambda^2 = \frac{M_Y^2}{|\mathsf{g}_{\mathsf{ee}Y}\mathsf{g}_{\chi\chi Y}|}$$

For $M_Y \gg \sqrt{s}$, limits on the effective mass scale of new interactions no longer depend on the assumed mediator mass or width

⇒ EFT approximation can be used





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